

PSEUDOCODE

1- most relevant variables

number of training points [cases] → *numb_cases* [max. (v.1) → 60]

number of independent variables [inputs] → *numb_inputs* [max. (v.1) → 10]

number of combinations [inputs raised at different exponents] → *numb_comb* [$5 \cdot 10^6 - 10^7$]

input(i,j) → for $i=1, numb_cases$
for $j=1, numb_inputs$

output(i) → for $i=1, numb_cases$

combinatorics

x1(i,m) → for $i=1, numb_cases$
for $m=1, numb_comb$

array storing the inputs being considered by each combination

elem_x1(i,m,n) → for $i=1, numb_cases$
for $m=1, numb_comb$
for $n=1, numb_elem$ [max. number of inputs accounted within each combination]

array storing the exponents for each element in the given combination

exp_x1(i,m,n) → for $i=1, numb_cases$
for $m=1, numb_comb$
for $n=1, numb_elem$

regressions

reg_res(i,m) → for $i=1, numb_cases$
for $m=1, numb_comb$

pol_coef(i,m,n2) → for $i=1, numb_cases$
for $m=1, numb_comb$
for $n2=1, 3$

decision algorithm

pol_error(i,m) → for $i=1, numb_cases$
for $m=1, numb_comb$

$pol_error(i,m) = \text{abs}[100 \cdot (\text{reg_res}(i,m) - \text{output}(i))] / \text{output}(i)$

mean_pol_error(m) → for $m=1, numb_comb$

$\text{mean_pol_error}(m) = \text{MEAN}[pol_error(i,m)]$ for $i=1, numb_cases$

max_error_trend → max. *pol_error(i,m)* allowed in order to consider “m” right for this “i” [case]

min_numb_right → lowest proportion [out of *numb_cases*] of “right i” in order to consider a trend

2- combinatorics

the arrays $x1(i,m)$, $elem_x1(m,n)$ & $exp_x1(m,n)$ get filled by accounting for all the possible combinations among the given inputs [with no repetition]

[input(1)^1.5, input(1), input(5)] \subset x1(360) ✓

$elem_x1(360,1) = 1$ [input(1)] / $exp_x1(360, 1) = 1.5$

$elem_x1(360,2) = 1$ [input(1)] / $exp_x1(360, 2) = 1$

$elem_x1(360,3) = 5$ [input(5)] / $exp_x1(360, 3) = 1$

[input(1)^1.5, input(1)^1.5] \subset x1(5000) ✗

3- regressions

second-degree polynomial regressions are performed for each couple $[x1(i,m), output(i)]$

$pol_res(3,360) = 3.17$

$pol_res(3,360,1) = 0.0003$ - $pol_res(3,360,2) = 1500.37$ - $pol_res(3,360,3) = 4$

4- decision algorithm

depending upon the given values [default configuration - recommendation: better don't modify them] for max_error_trend [5%] & min_numb_right [85%] there will be a pre-trend-determination process [any regression that, after being applied to all the given cases, verifies both conditions]

out of all the selected pre-trends, only the best one [lowest $mean_pol_error$] is given to the user as final result